

Numerical modelling of mode-locking at low repetition rate in Quantum Dot lasers

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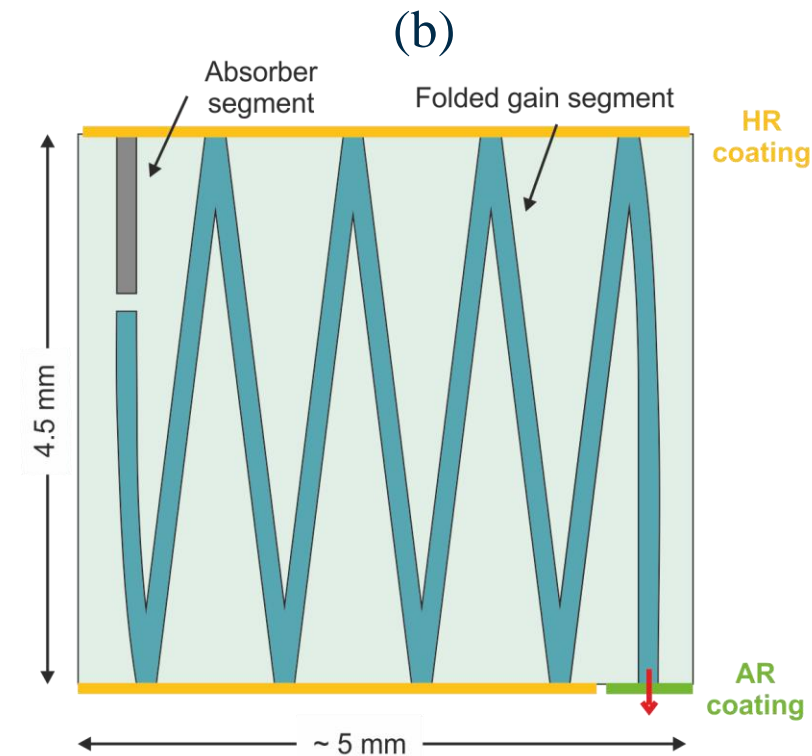
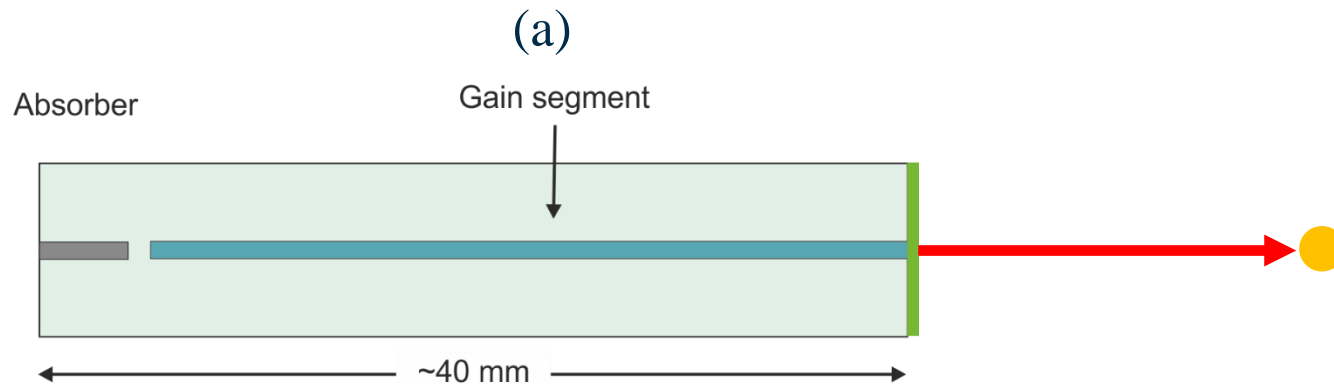
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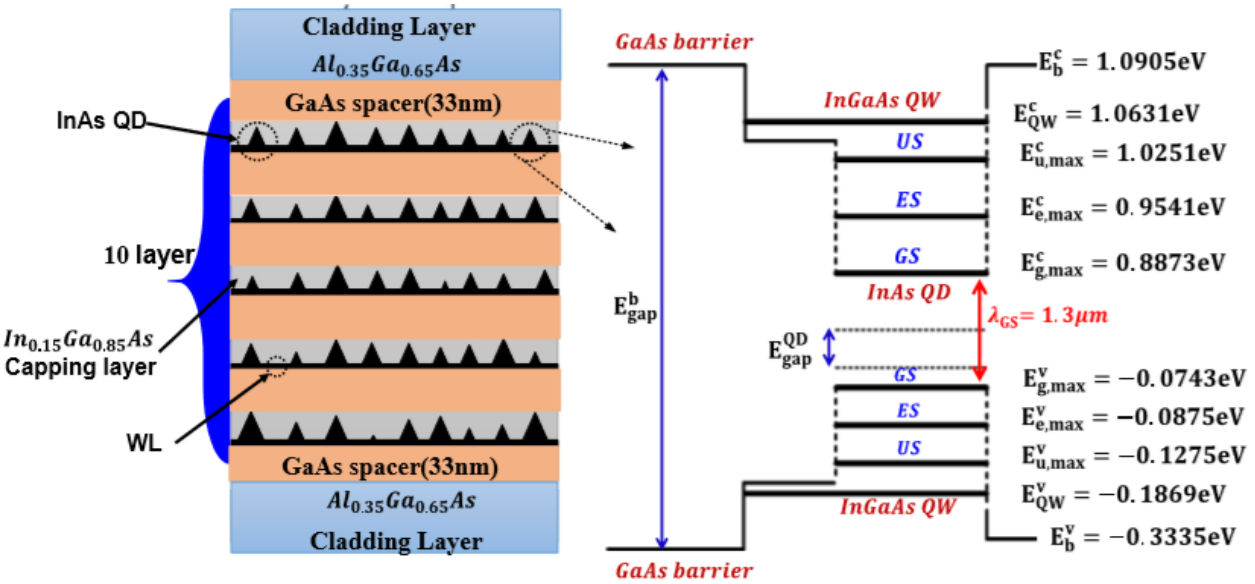
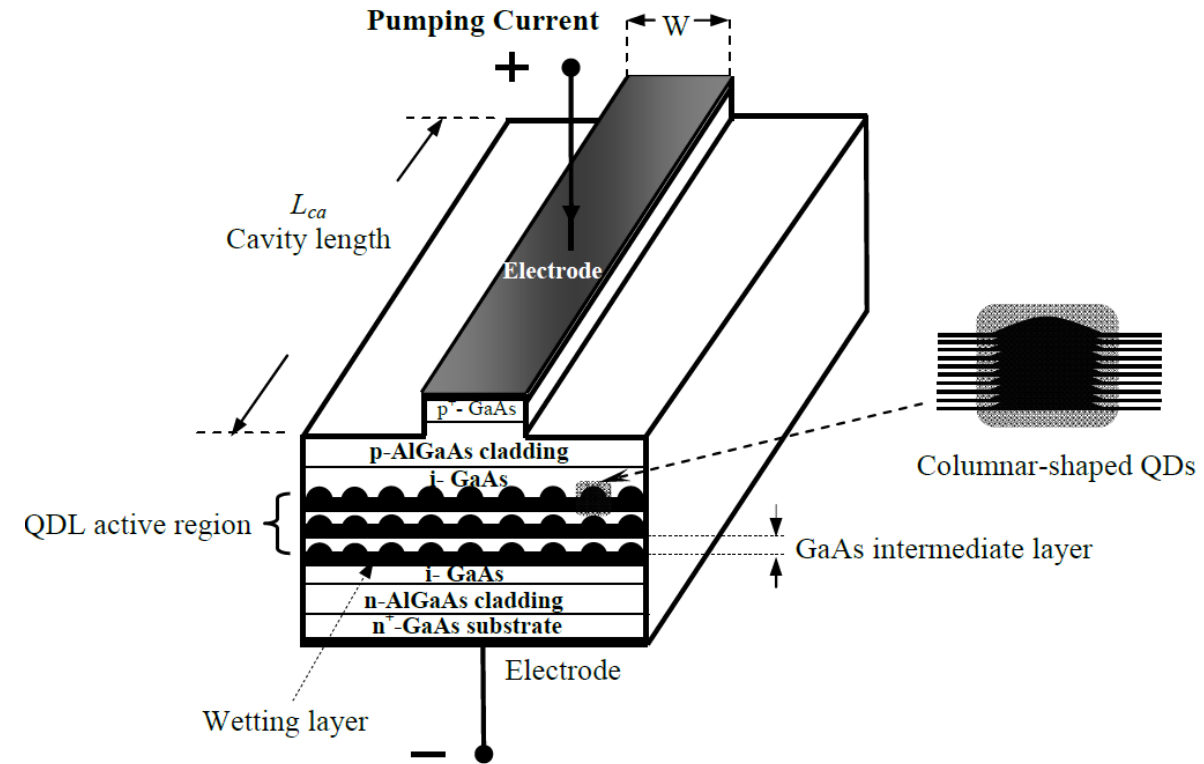
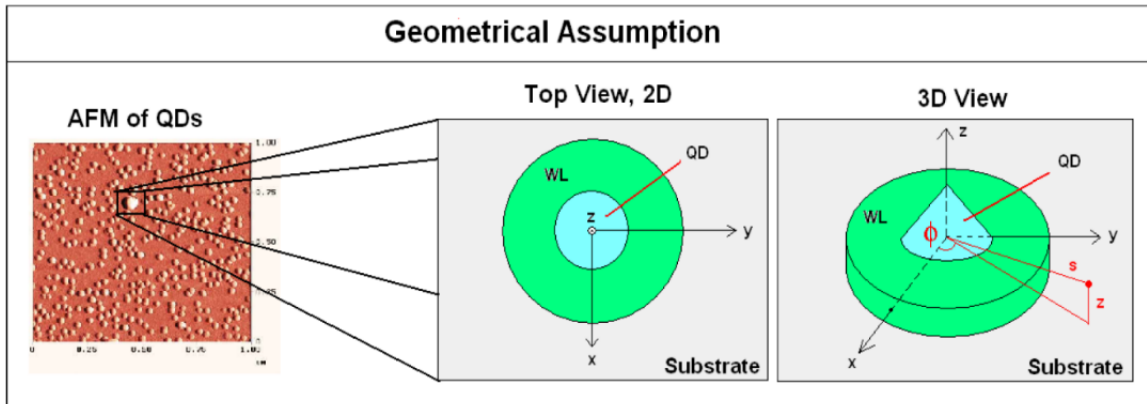
What is our project?

- Initially, we intend to simulate the figure (a), which is a quantum dot mode-locked laser with a long cavity.
- The second step will be to simulate the quantum dot laser as shown in figure (b) in order to reduce the length of the laser.

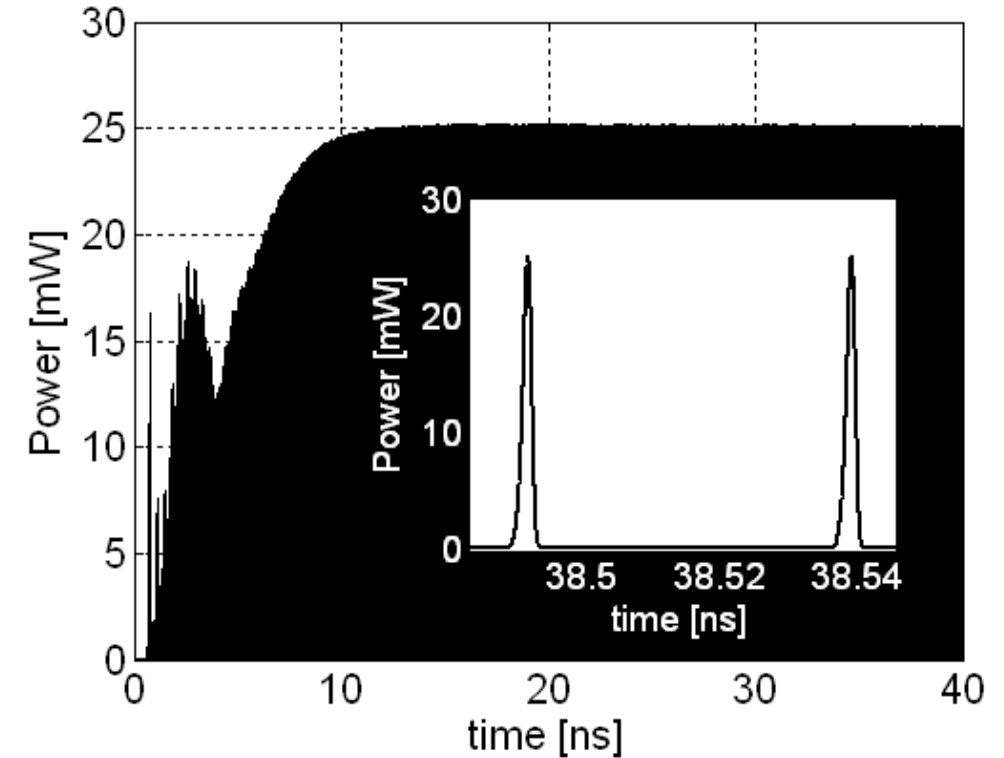
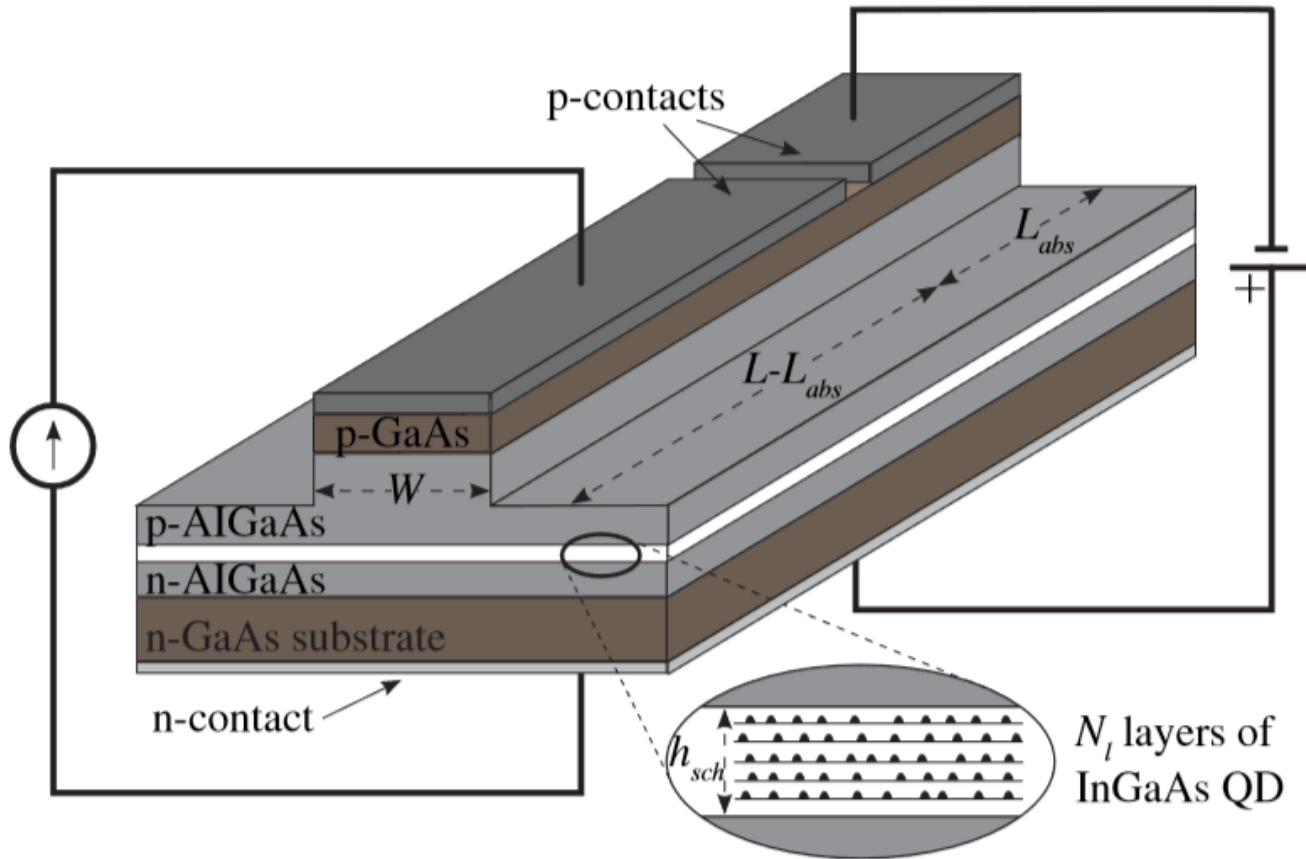


Quantum Dot and QD Laser

Geometrical Assumption



Laser structure for passive mode-locking



M. Rossetti, P. Bardella and I. Montrosset, "Modeling Passive Mode-Locking in Quantum Dot Lasers: A Comparison Between a Finite-Difference Traveling-Wave Model and a Delayed Differential Equation Approach," in *IEEE Journal of Quantum Electronics*, vol. 47, no. 5, pp. 569-576, May 2011, doi: 10.1109/JQE.2010.2104135.

M. Rossetti, P. Bardella, M. Gioannini and I. Montrosset, "Time domain travelling wave model for simulation of passive mode locking in semiconductor quantum dot lasers," CLEO/Europe - EQEC 2009 - European Conference on Lasers and Electro-Optics and the European Quantum Electronics Conference, Munich, Germany, 2009, pp. 1-1, doi: 10.1109/CLEOE-EQEC.2009.5196365.

Simulation method

- **Simplified Time Domain Travelling Wave Model:** it does not consider inhomogeneous gain broadening
- **Time Domain Travelling Wave (TDTW) Model:** inclusion of inhomogeneous gain broadening to account for inhomogeneous QDs (multi-population rate equation model)

$$\frac{dN_{SCH}}{dt} = \eta_i \frac{J}{e} \Delta z W - \frac{N_{SCH}}{\tau_r^{SCH}} - \frac{N_{SCH}}{\tau_c^W} + \frac{N_W}{\tau_e^W} \quad \text{total number of carriers in the 3-D SCH states}$$

$$\frac{dN_W}{dt} = \frac{N_{SCH}}{\tau_c^W} - \frac{N_W}{\tau_e^W} - \frac{N_W}{\tau_r^W} - \sum_{i=1}^N \frac{G_i}{\tau_c^{ES_2}} N_W (1 - \rho_{iES_2}) + \sum_{i=1}^N \frac{N_{iES_2}}{\tau_e^{ES_2}} \quad \text{total number of carriers in the 2-D QW states}$$

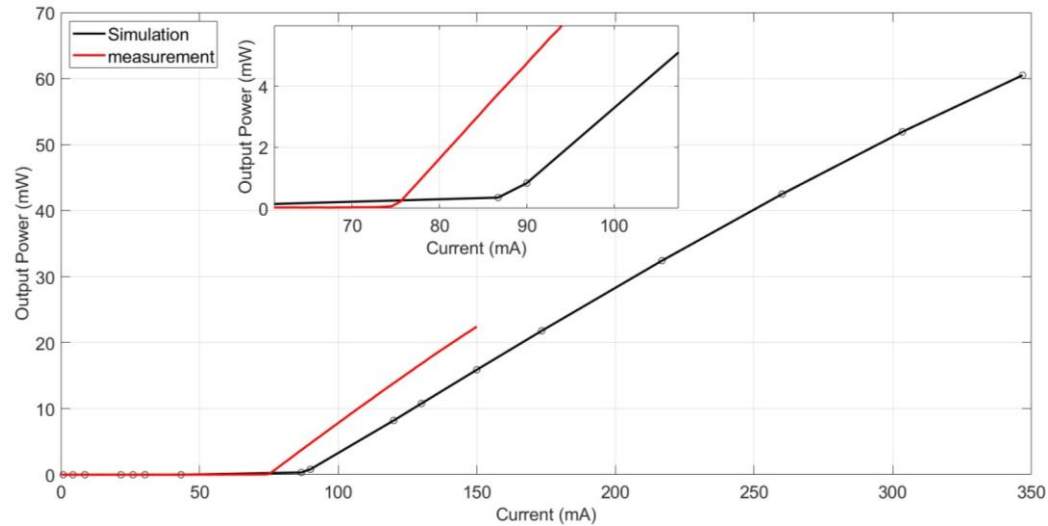
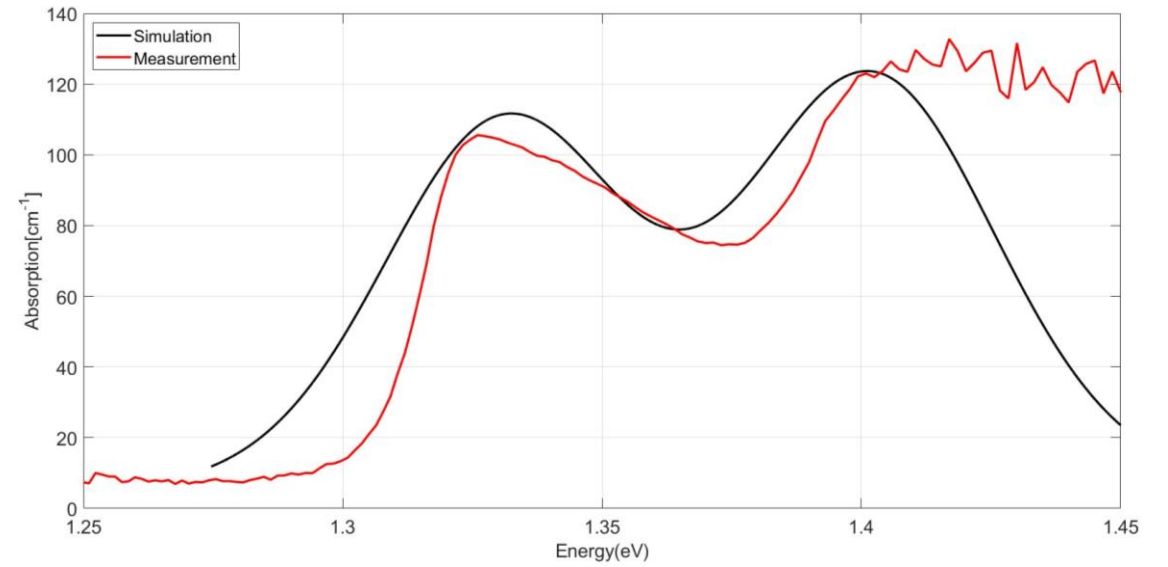
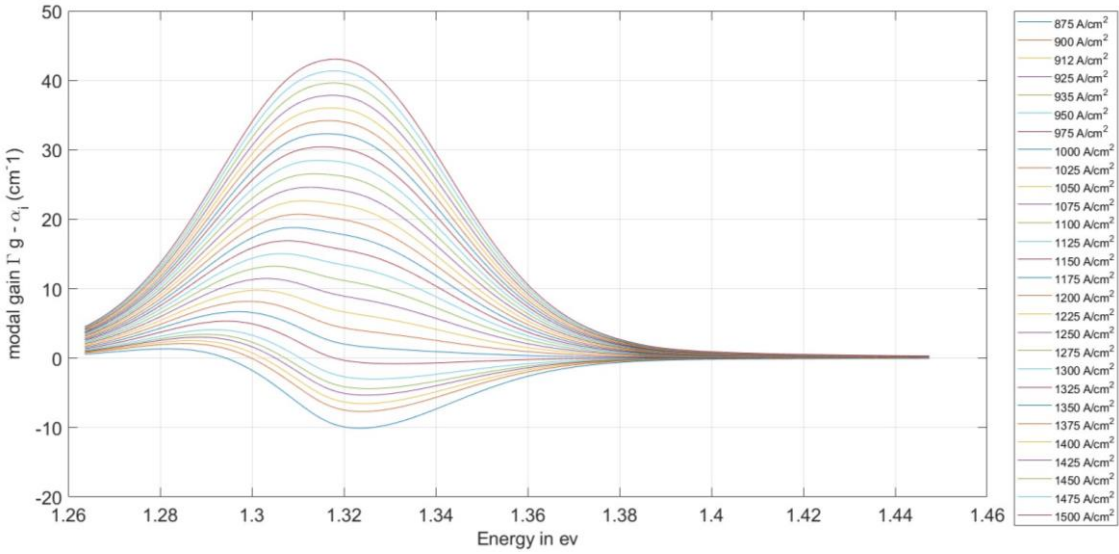
$$\frac{dN_{iES_2}}{dt} = \frac{G_i}{\tau_c^{ES_2}} N_W (1 - \rho_{iES_2}) - \frac{N_{iES_2}}{\tau_e^{iES_2}} - \frac{N_{iES_2}}{\tau_s^{ES_2}} - \frac{N_{iES_2} \rho_{iES_2}}{\tau_{Au}^{ES_2}} - \frac{N_{iES_2}}{\tau_c^{ES_1}} (1 - \rho_{iES_1}) + \frac{N_{iES_1}}{\tau_e^{iES_1}} (1 - \rho_{iES_2})$$

$$\frac{dN_{iES_1}}{dt} = \frac{N_{iES_2}}{\tau_c^{ES_1}} (1 - \rho_{iES_1}) - \frac{N_{iES_1}}{\tau_e^{iES_1}} (1 - \rho_{iES_2}) - \frac{N_{iES_1} \rho_{iES_1}}{\tau_{Au}^{ES_1}} - \frac{N_{iES_1}}{\tau_c^{GS}} (1 - \rho_{iGS}) + \frac{N_{iGS}}{\tau_e^{iGS}} (1 - \rho_{iES_1}) - \frac{N_{iES_1}}{\tau_s^{ES_1}}$$

$$- \frac{j\Delta z}{\hbar \bar{\omega}_{iES_1}} \left[\left(E^+ p_{iES_1}^{+*} - E^{+*} p_{iES_1}^+ \right) + \left(E^- p_{iES_1}^{-*} - E^{-*} p_{iES_1}^- \right) \right]$$

$$\frac{dN_{iGS}}{dt} = \frac{N_{iES_1}}{\tau_c^{GS}} (1 - \rho_{iGS}) - \frac{N_{iGS}}{\tau_e^{iGS}} (1 - \rho_{iES_1}) - \frac{N_{iGS}}{\tau_s^{GS}} - \frac{N_{iGS} \rho_{iGS}}{\tau_{Au}^{GS}} - \frac{j\Delta z}{\hbar \bar{\omega}_{iGS}} \left[\left(E^+ p_{iGS}^{+*} - E^{+*} p_{iGS}^+ \right) + \left(E^- p_{iGS}^{-*} - E^{-*} p_{iGS}^- \right) \right]$$

Results



Thank you very much for your attention