



**Politecnico  
di Torino**

Department  
of Electronics and  
Telecommunications



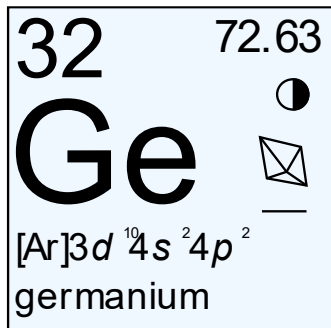
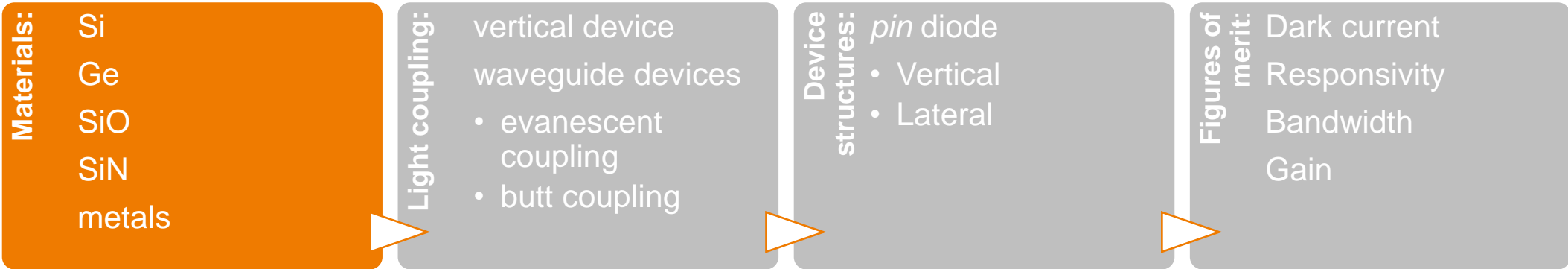
**PhotoNext Researcher's Day**

# Modeling of Ge-on-Si photodetector for wide-band Silicon Photonics applications

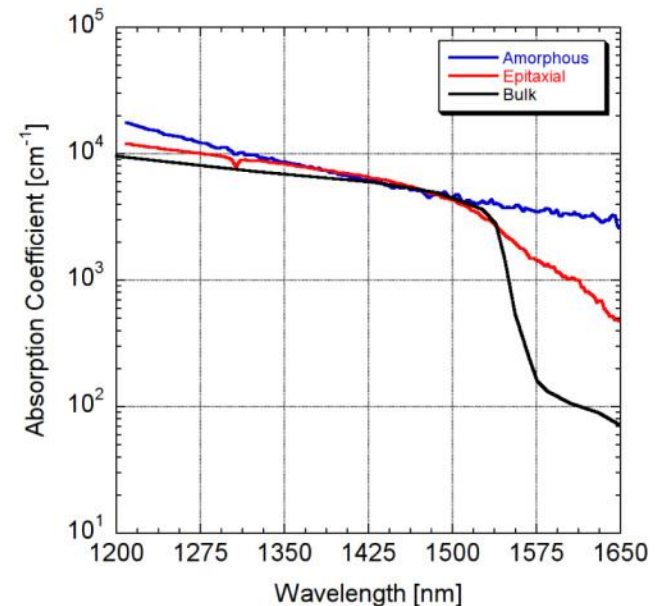
*June 19, 2023*

Matteo G. C. Alasio

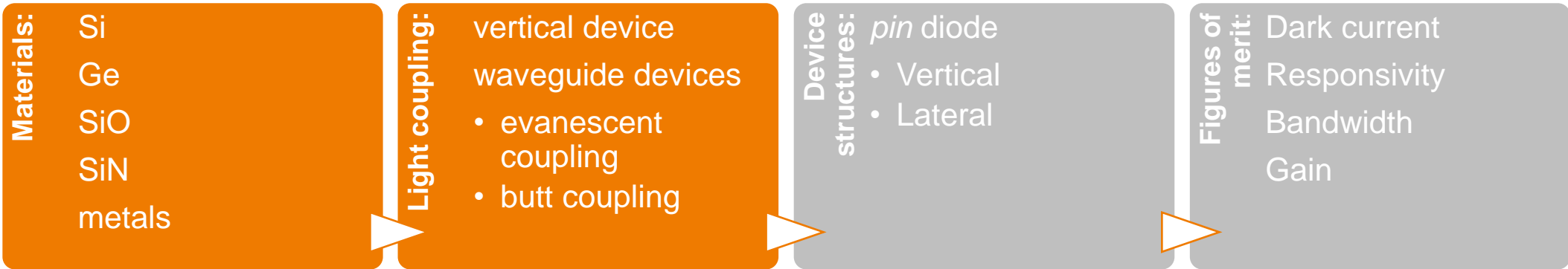
# Ge-on-Si *pin* photodetectors



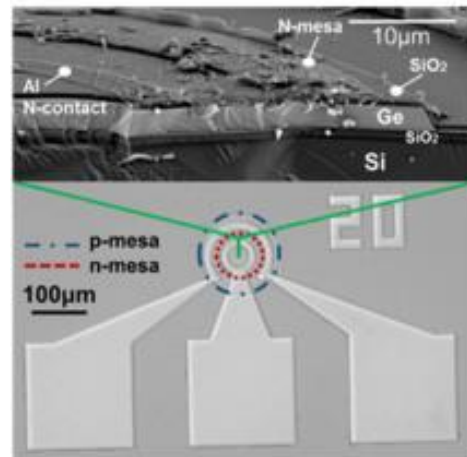
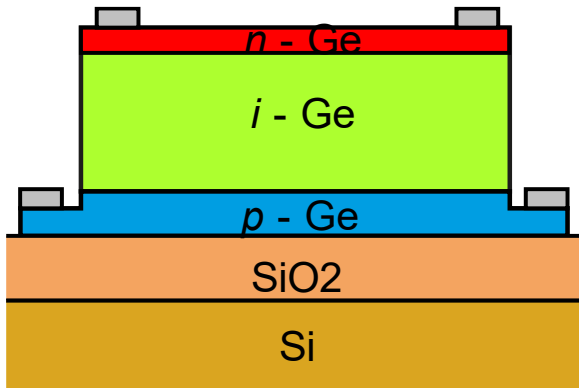
 Other metals	 Solid
 Diamond	 Equal relative strength



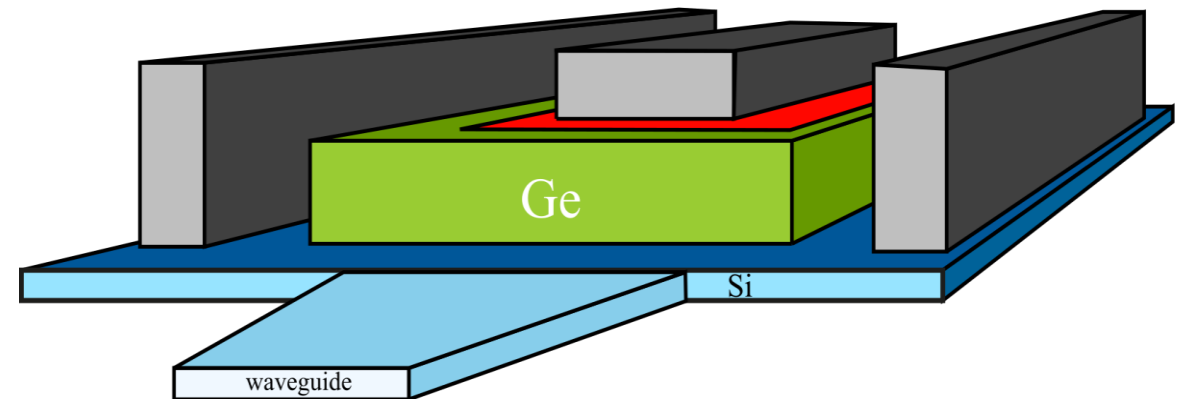
# Ge-on-Si *pin* photodetectors



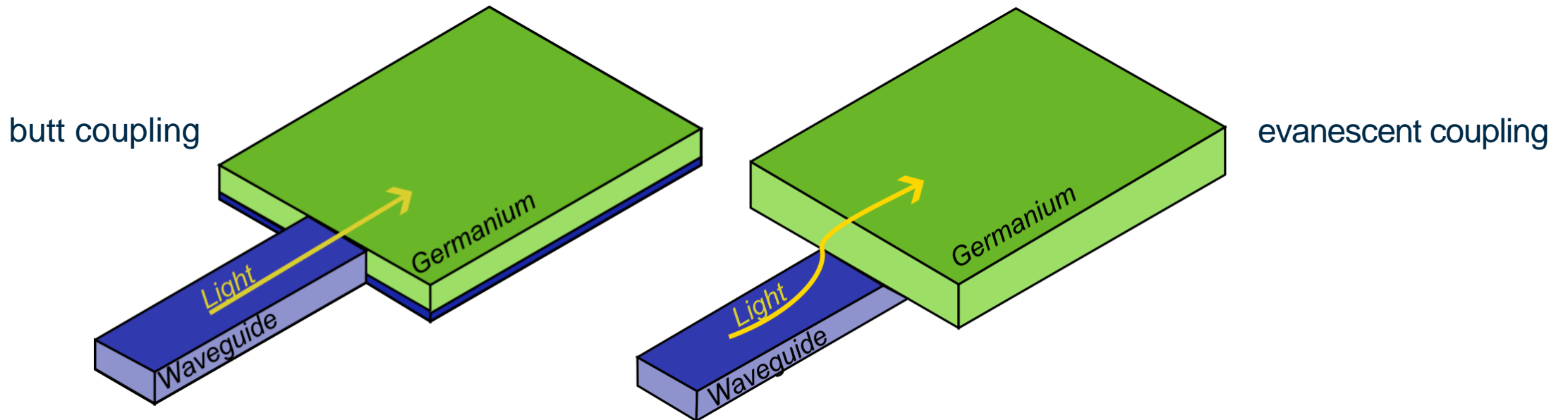
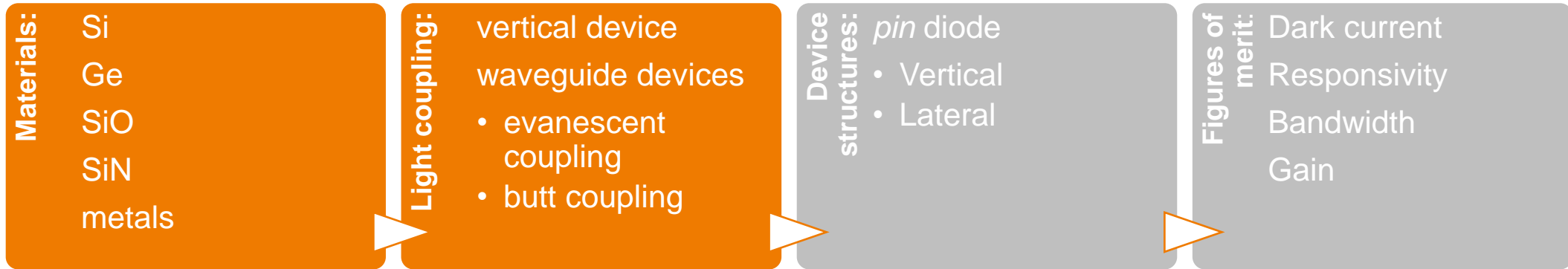
vertical detector



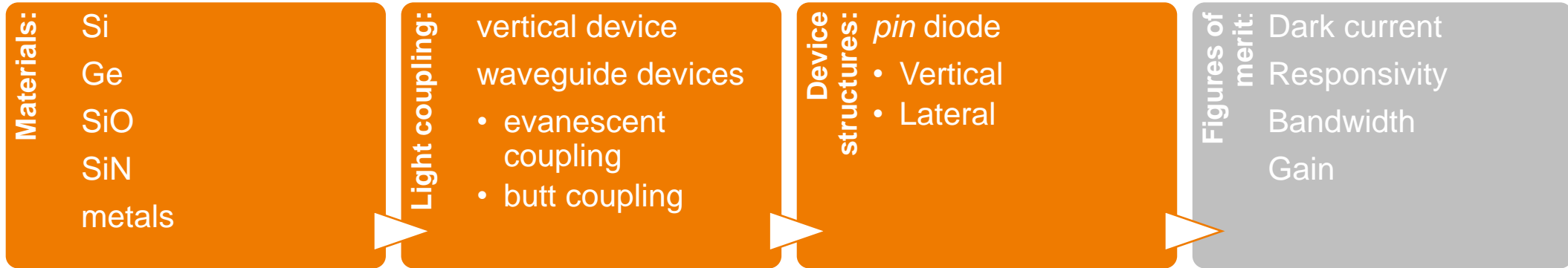
waveguide detector



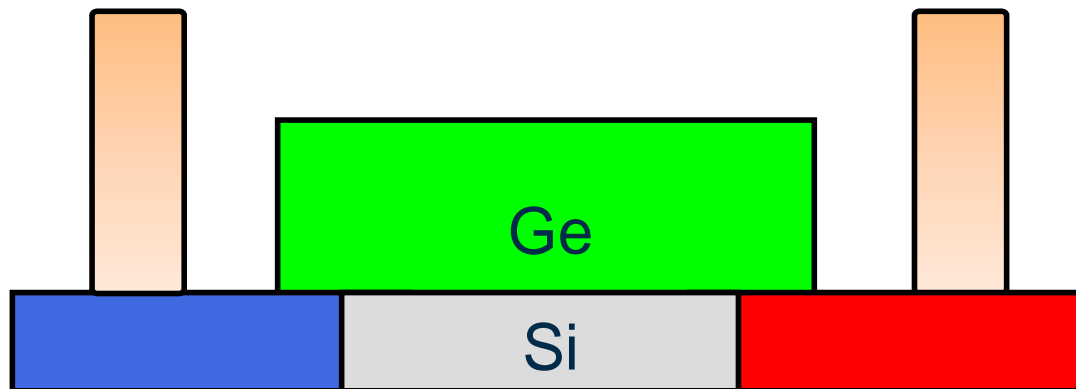
# Ge-on-Si *pin* photodetectors



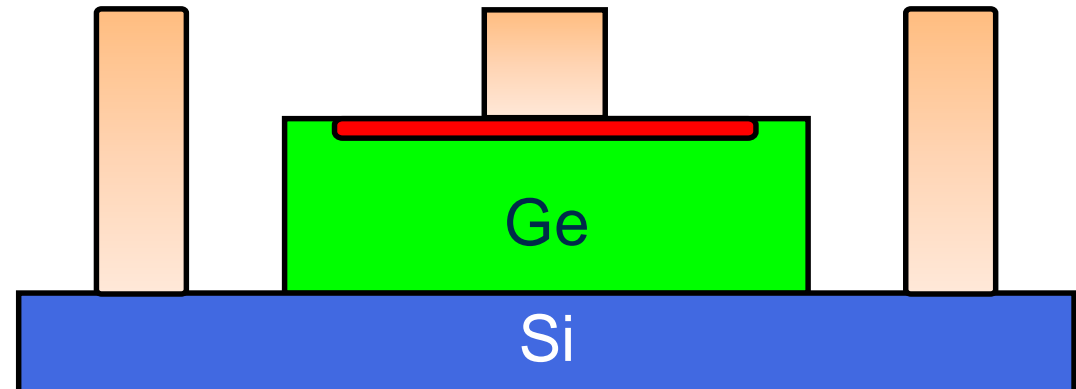
# Ge-on-Si *pin* photodetectors



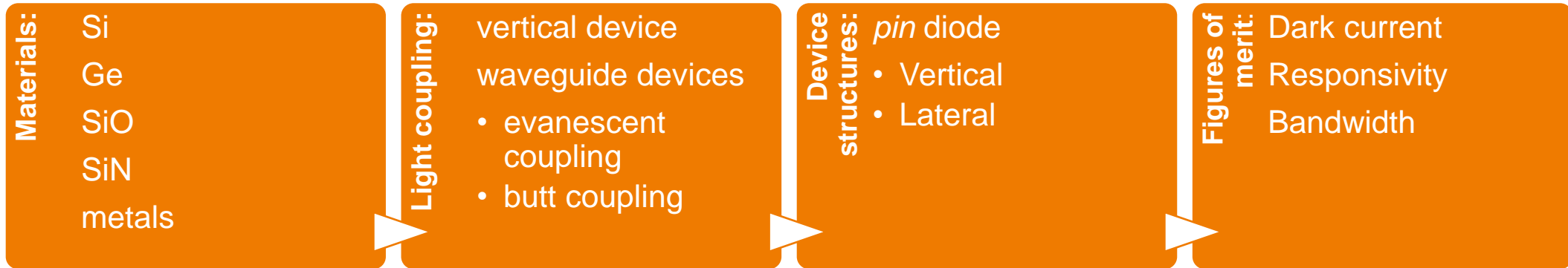
lateral *pin* junction



vertical *pin* junction



# Ge-on-Si *pin* photodetectors



**Responsivity:** ratio between photocurrent and input optical power

$$R = \frac{I_L}{P_{op}}$$

**Modulation bandwidth**

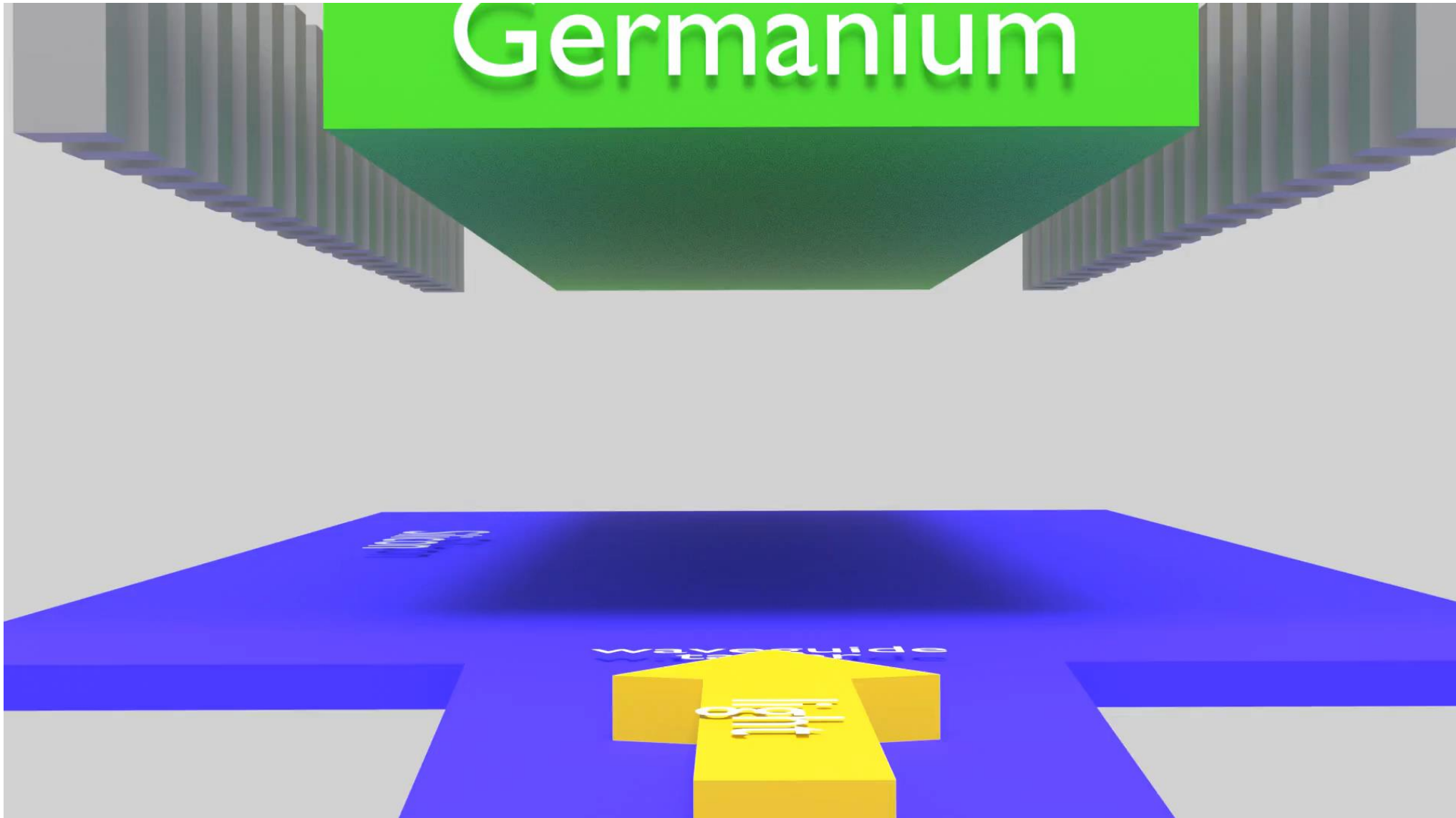
$$\hat{I}_L(f_m) = R(f_m) \hat{P}_{op}(f_m)$$

limited by

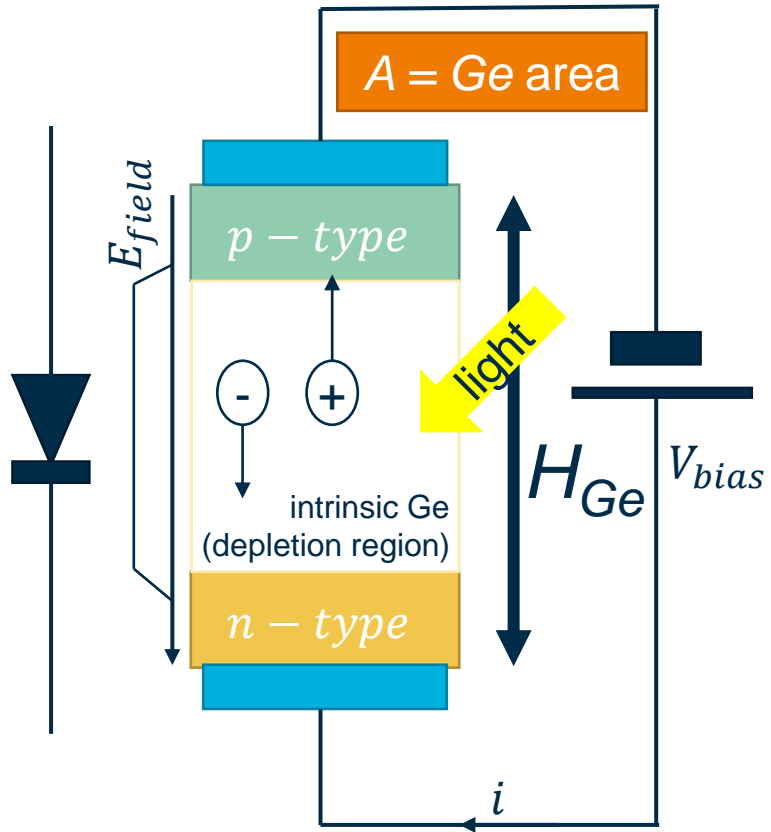
- **device capacitance**
- **transit time** of photogenerated carriers



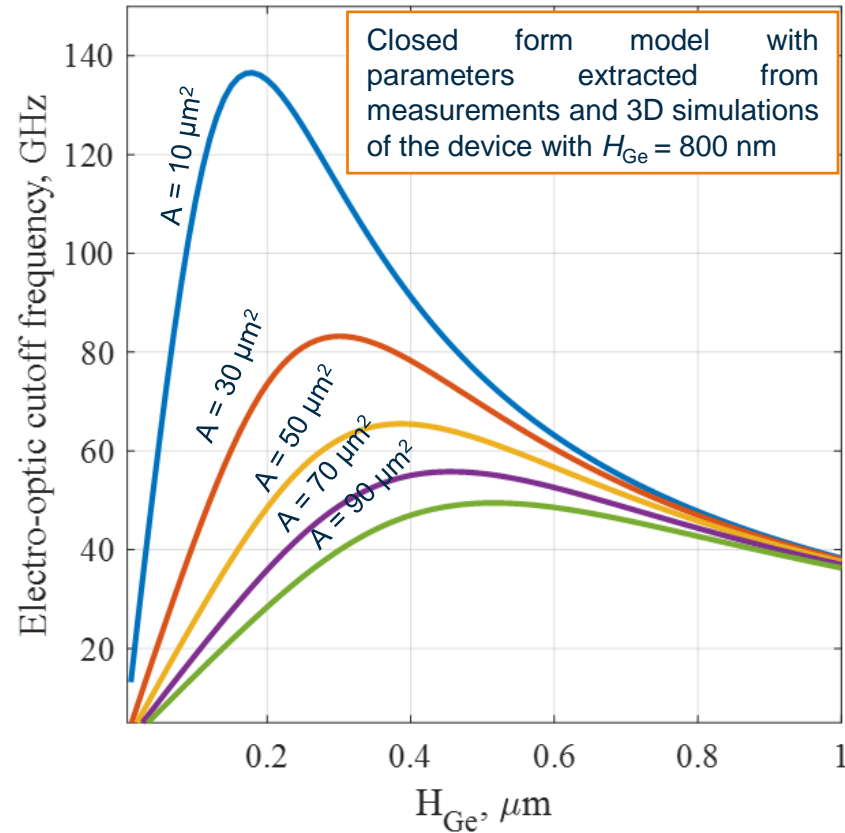
# Germanium



# Efficiency-speed tradeoff

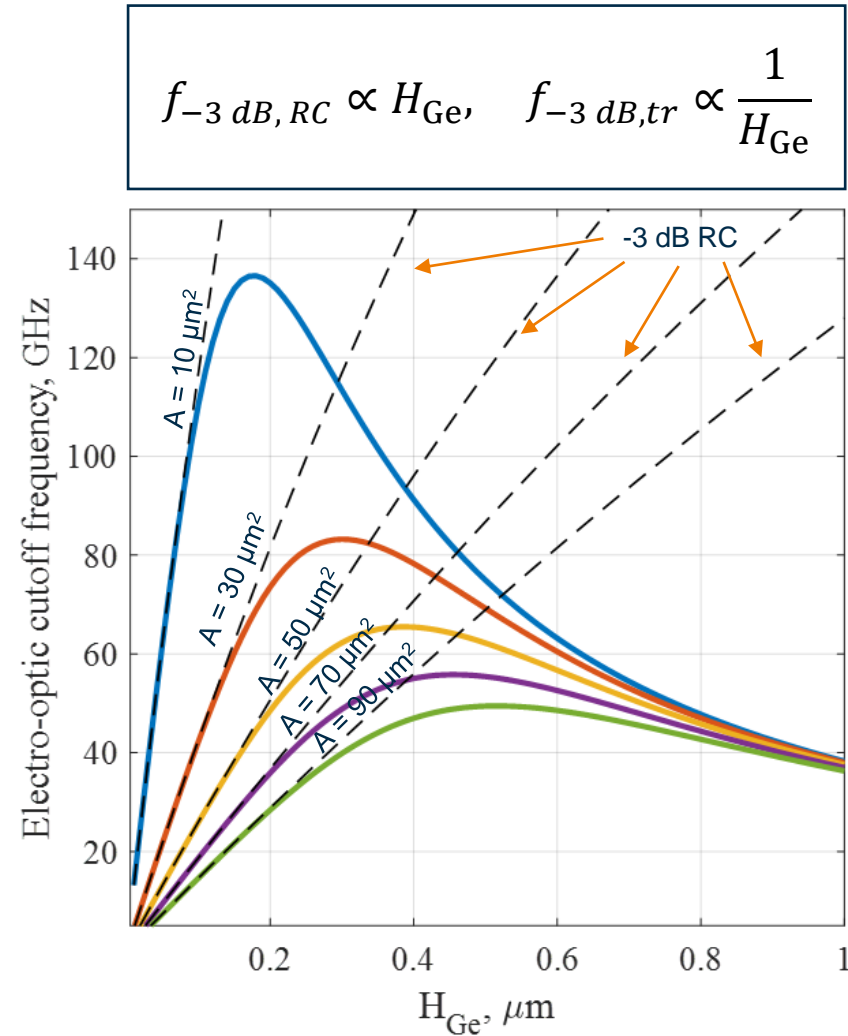
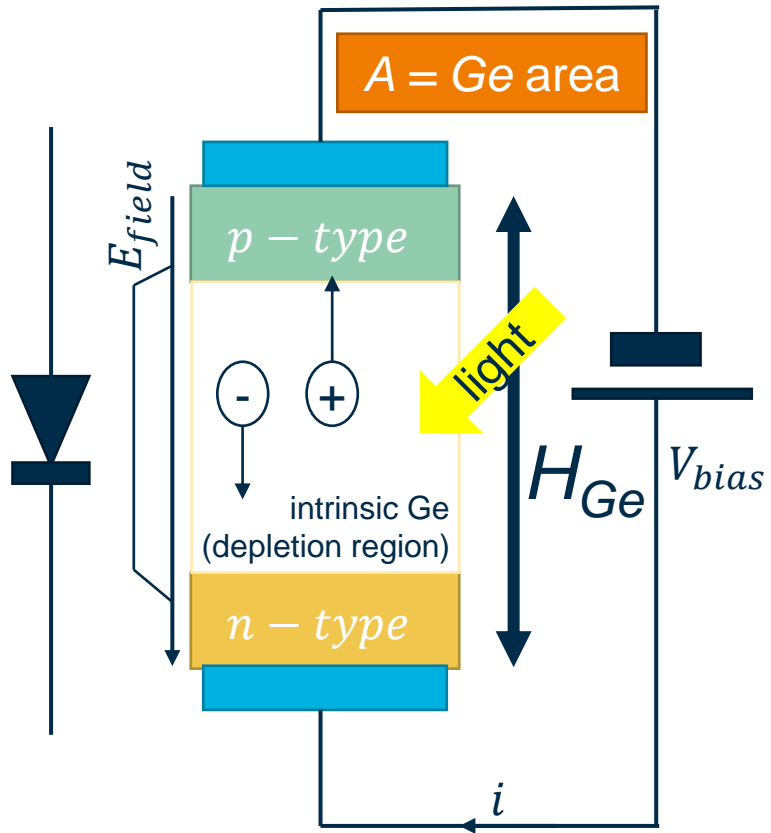


$$f_{-3 \text{ dB}, RC} \propto H_{\text{Ge}}, \quad f_{-3 \text{ dB}, tr} \propto \frac{1}{H_{\text{Ge}}}$$

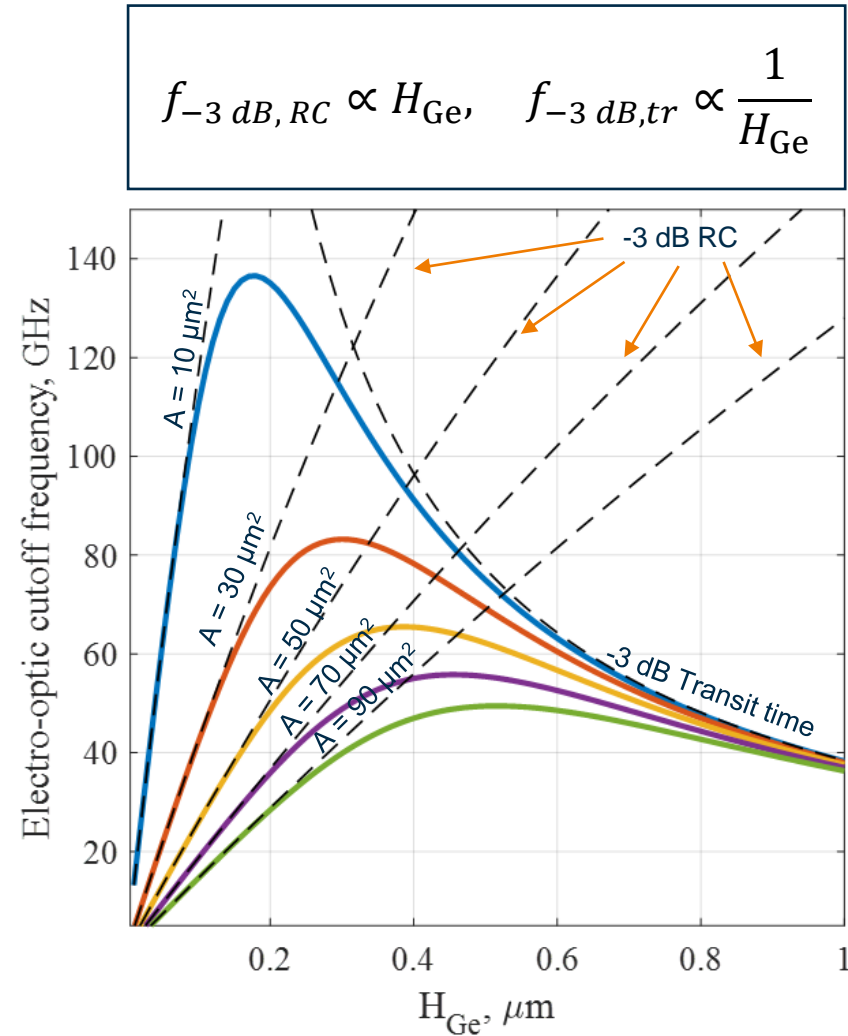
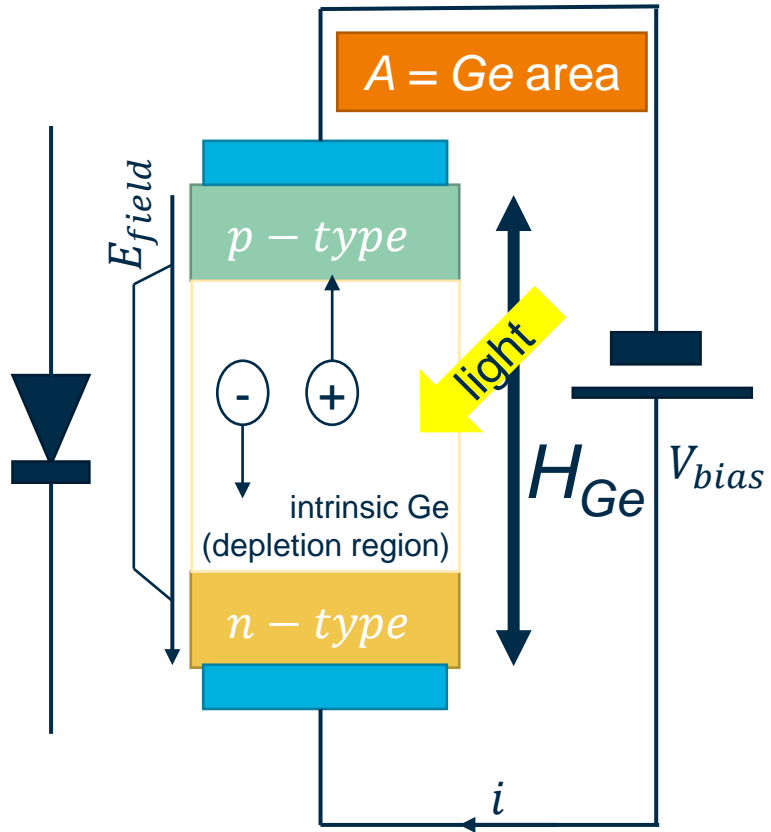




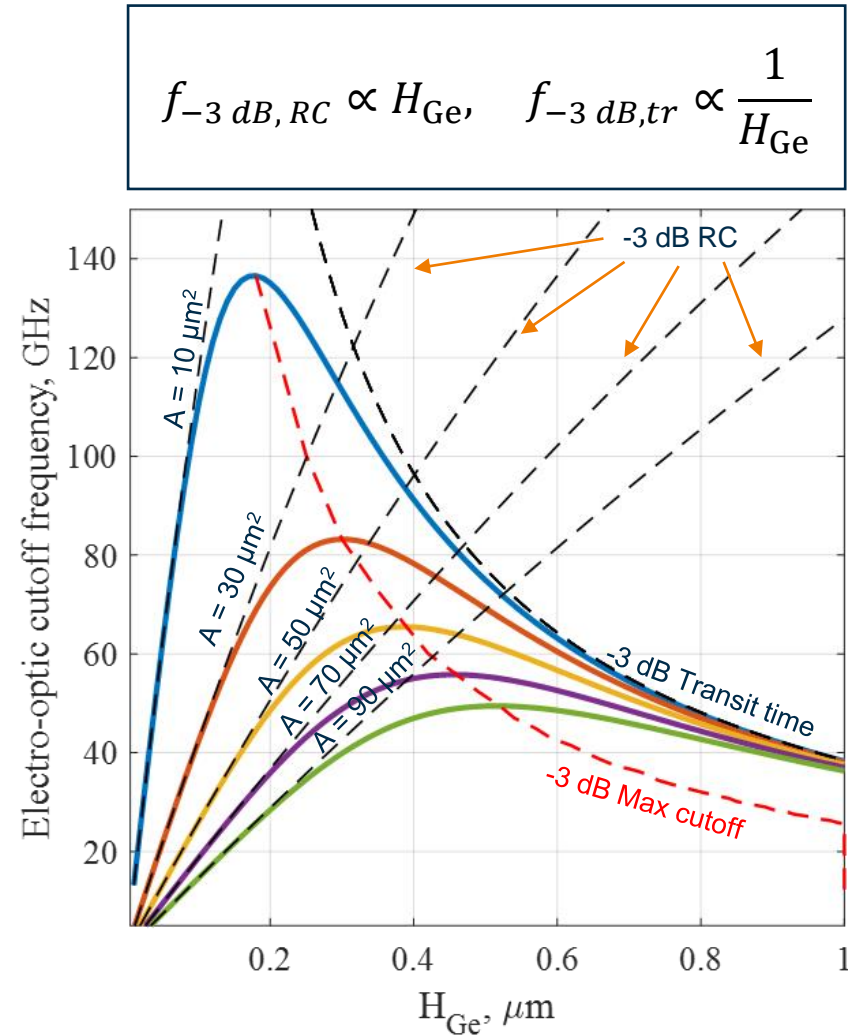
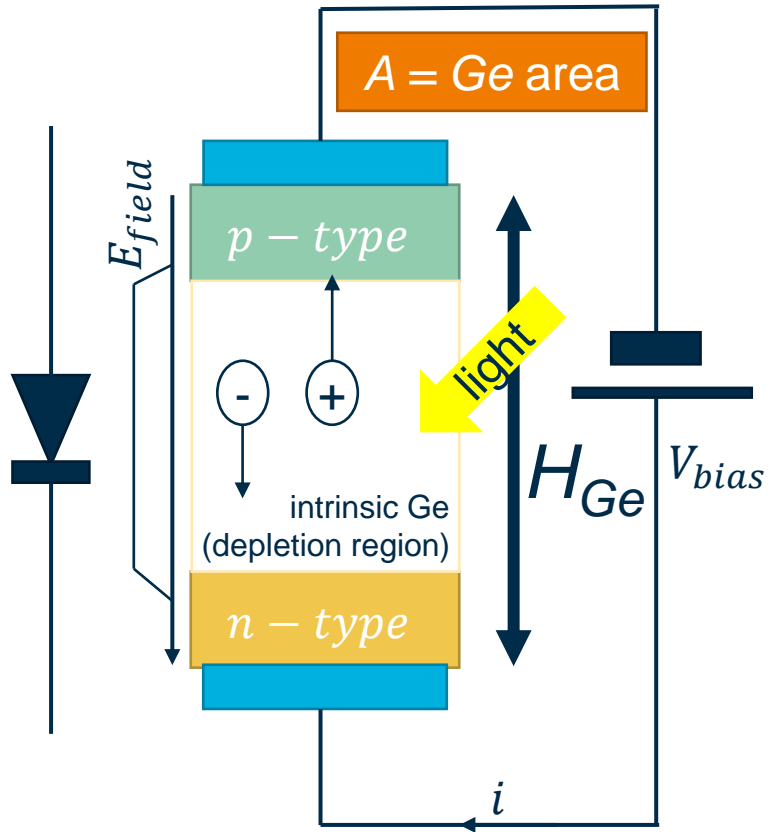
# Efficiency-speed tradeoff



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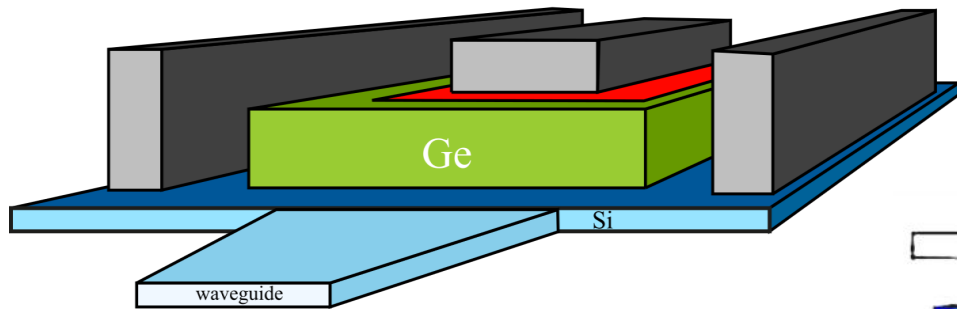
# 3D multiphysics modeling

Optical problem:  
Maxwell's equations

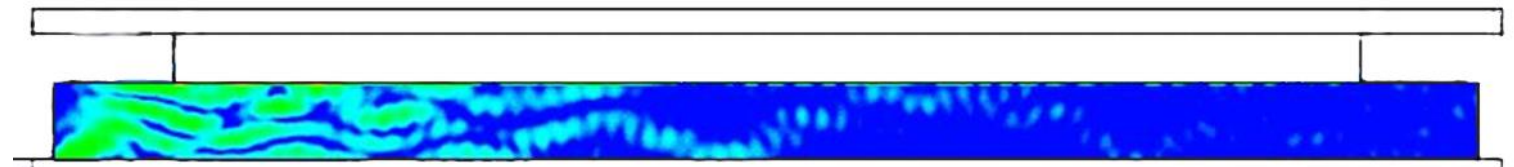
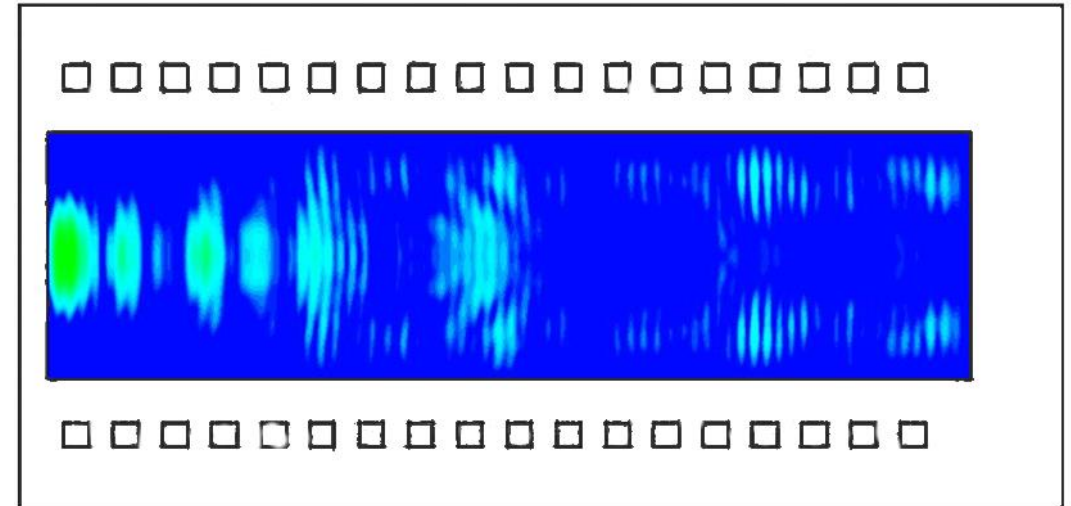
$$\frac{\partial D}{\partial t} = \nabla \times H - J \quad \nabla \cdot D = 0$$

$$\frac{\partial B}{\partial t} = -\nabla \times E \quad D = \epsilon_r \epsilon_0 E$$

$$\nabla \cdot B = 0 \quad H = \frac{1}{\mu_r \mu_0} B$$



Optical generation rate ( $\text{cm}^{-3} \text{s}^{-1}$ )



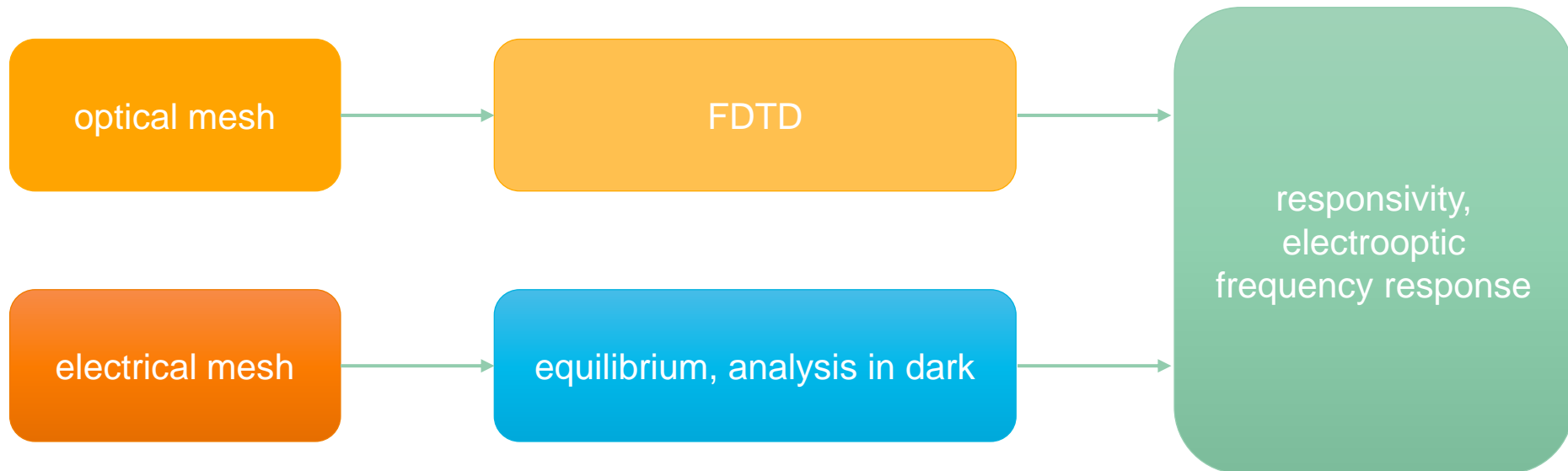
# 3D multiphysics modeling

Optical problem:  
Maxwell's equations

$$\begin{aligned} \frac{\partial D}{\partial t} &= \nabla \times H - J & \nabla \cdot D &= 0 \\ \frac{\partial B}{\partial t} &= -\nabla \times E & D &= \epsilon_r \epsilon_0 E \\ \nabla \cdot B &= 0 & H &= \frac{1}{\mu_r \mu_0} B \end{aligned}$$

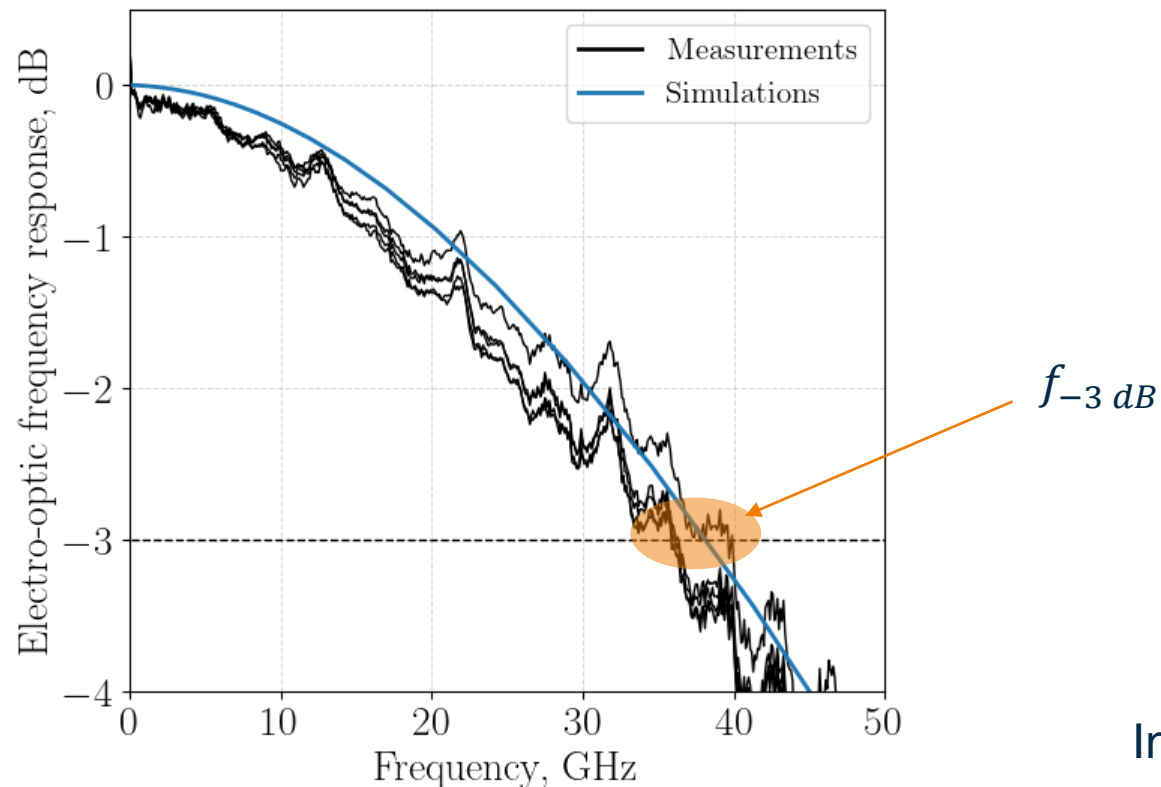
Electrical problem:  
drift-diffusion model

$$\begin{aligned} \nabla^2 \phi &= -\frac{q}{\epsilon} \rho & \rho &= (+q N_D^+) + (-q N_A^-) + (+qp) + (-qn) \\ \frac{\partial p}{\partial t} + \frac{1}{q} \nabla \cdot J_p + U_p &= 0 & J_n &= J_{n,t} + J_{n,d} = -qn\mu_n \nabla \phi + qD_n \nabla n \\ \frac{\partial n}{\partial t} - \frac{1}{q} \nabla \cdot J_n + U_n &= 0 & J_p &= J_{p,t} + J_{p,d} = -qp\mu_p \nabla \phi - qD_p \nabla p \end{aligned}$$



# Model validation

From the electro-optic frequency response, we extract the -3 dB electro-optic cutoff frequency, and we use it for comparisons with measurements and parameter calibration.



Bias = -3 V  
Input optical power = 100  $\mu$ W

# Model validation: E/O cutoff frequency vs bias

The model has been validated against 6 WPDs, considering **yield** and **bias sensitivities**. In all cases the simulations achieve a good agreement with measurements.

